

***A Consolidated Seasonal
Temperature Forecast based on the
NMME***

David Unger

Climate Prediction Center

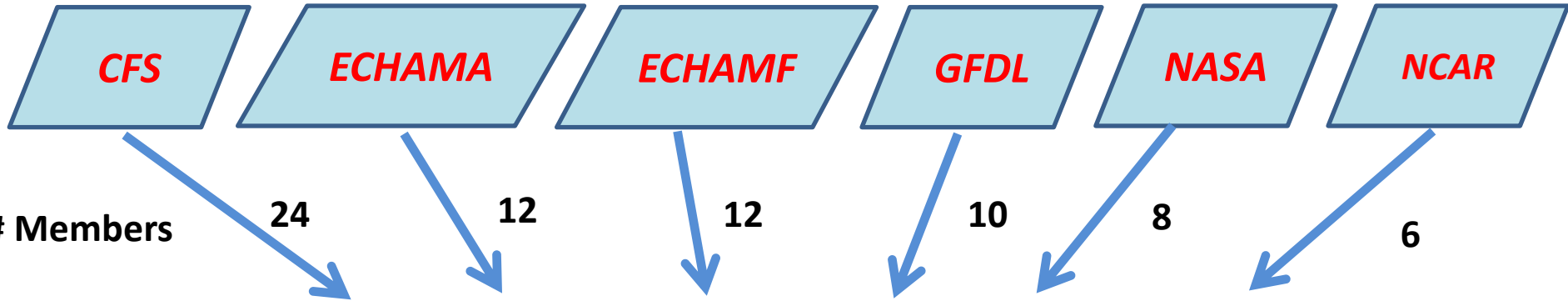
NOAA/NCEP/NWS

Acknowledgements: Qin Zhang

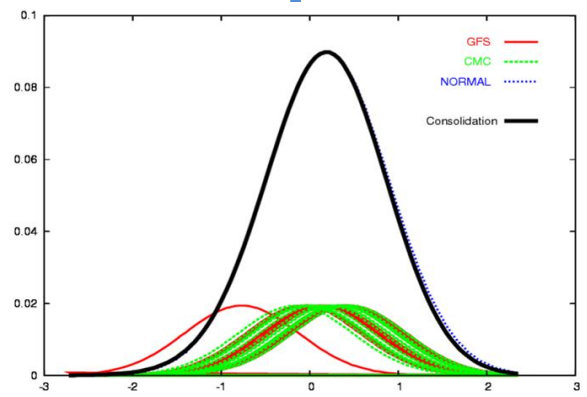
OBJECTIVES

- **An objective method for weighting and calibration of multi-model ensembles**
- **Theoretically sound regression based treatment.**
- **Able to handle models with differing skills**
- **Able to handle models with different ensemble sizes**
- **Provide forecast diagnostics**
- **Make use of individual ensemble members where possible.**

Overview



Regression Calibration



ENSEMBLE REGRESSION

- **Given:** An ensemble forecast for a single event

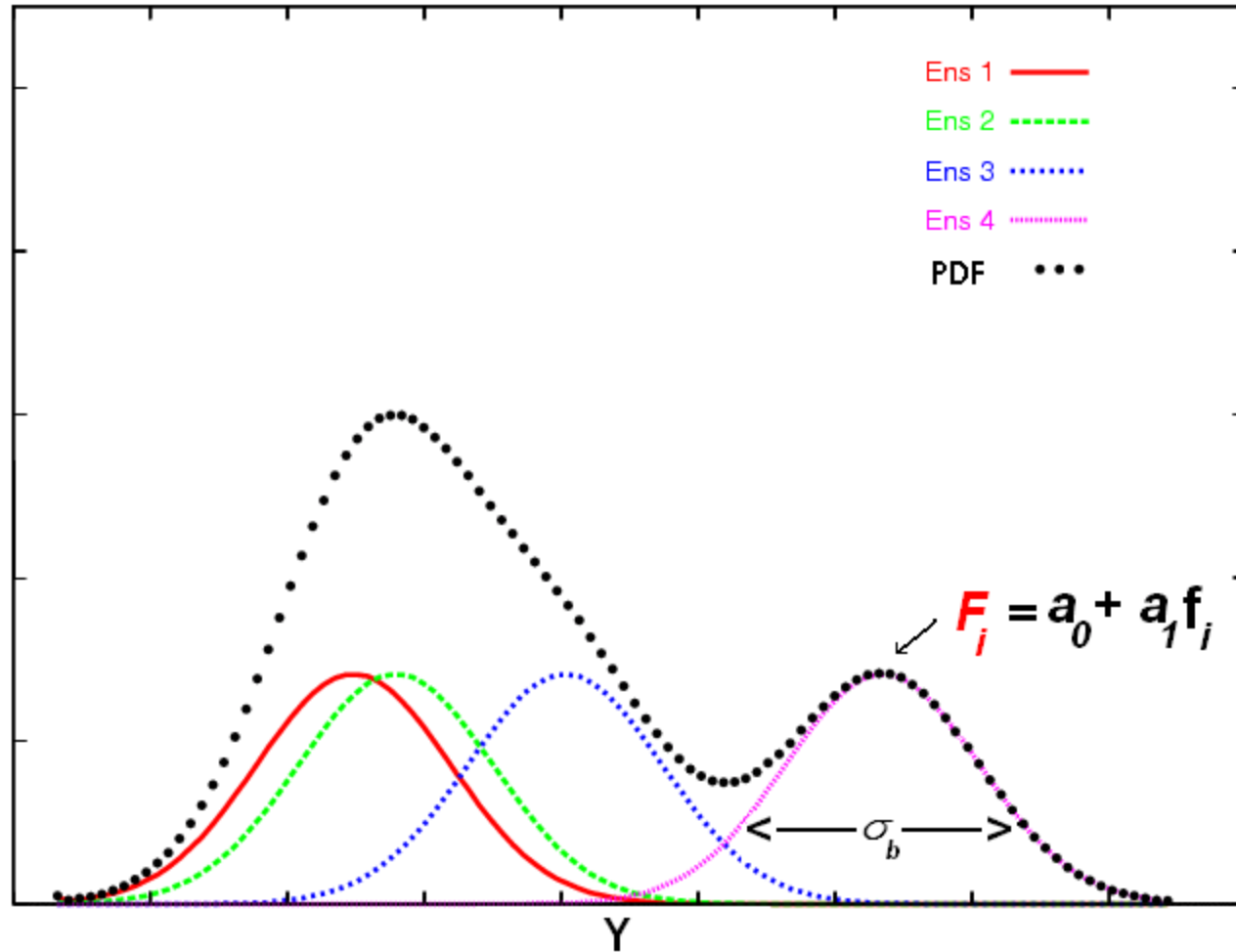
ASSUMPTIONS

- 1) We know the probability of each member being closest to the observation (usually assumed equal for any given model)
- 2) The residual errors about the best model are Gaussian
- 3) Linear relationship between the BEST forecast and obs.

THEN

We can derive a regression equation for the ***EXPECTED VALUE*** of least squares solution between the best member and the observation, together with an expected residual error distribution.

ENSEMBLE REGRESSION EXAMPLE



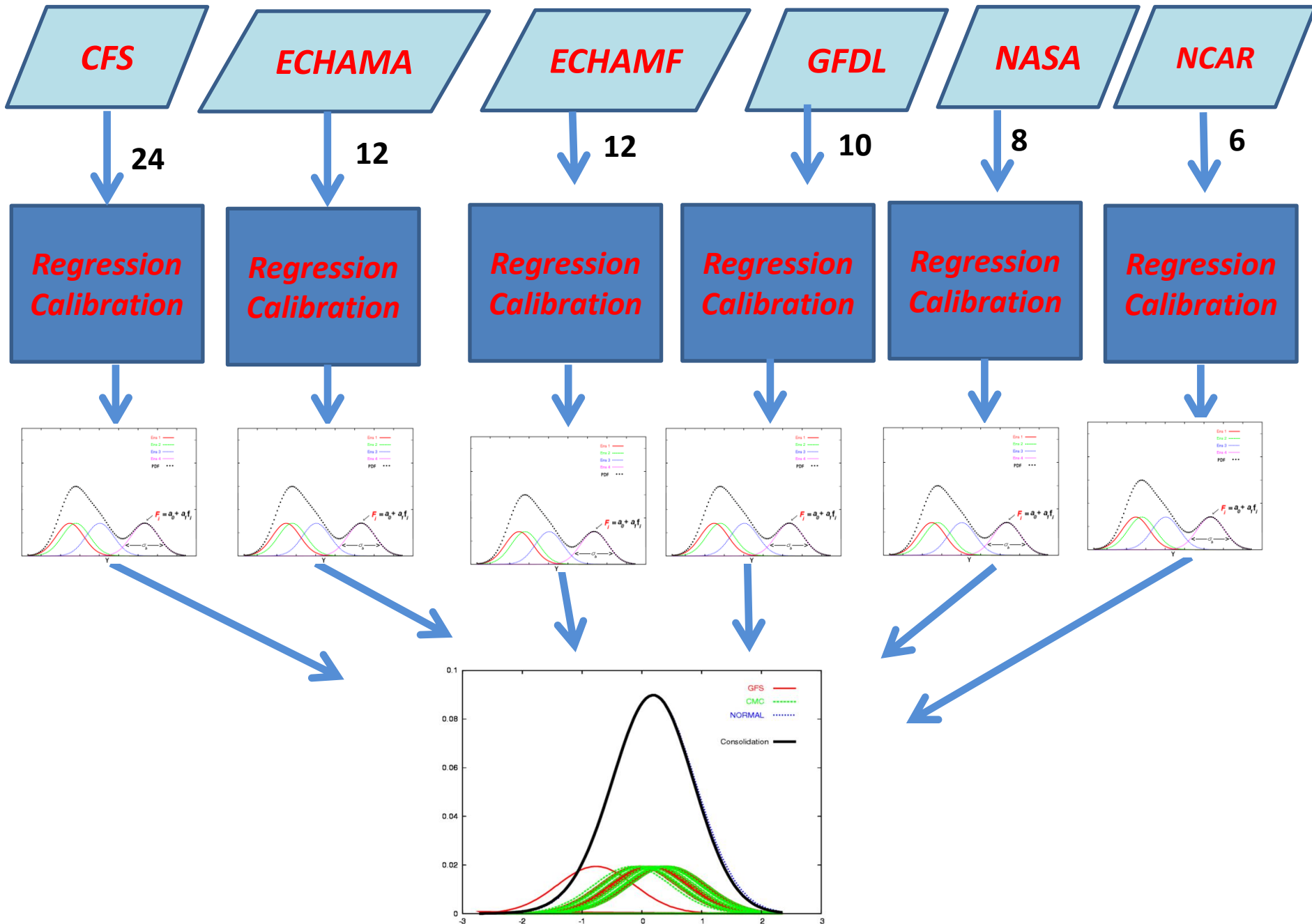
First step: Process individual models

- **Assume each member equally likely to be best**
- **Use regression theory to produce a probability density function (PDF) that represents the entire ensemble set.**

Step 2: EVALUATE THE ENSEMBLE FOR EACH CASE AND EACH MODEL

- **Use Regression to obtain a translate the forecast into a PDF**
- **The PDF reflects the skill of the forecast**
- **Equalizes for number of members.**

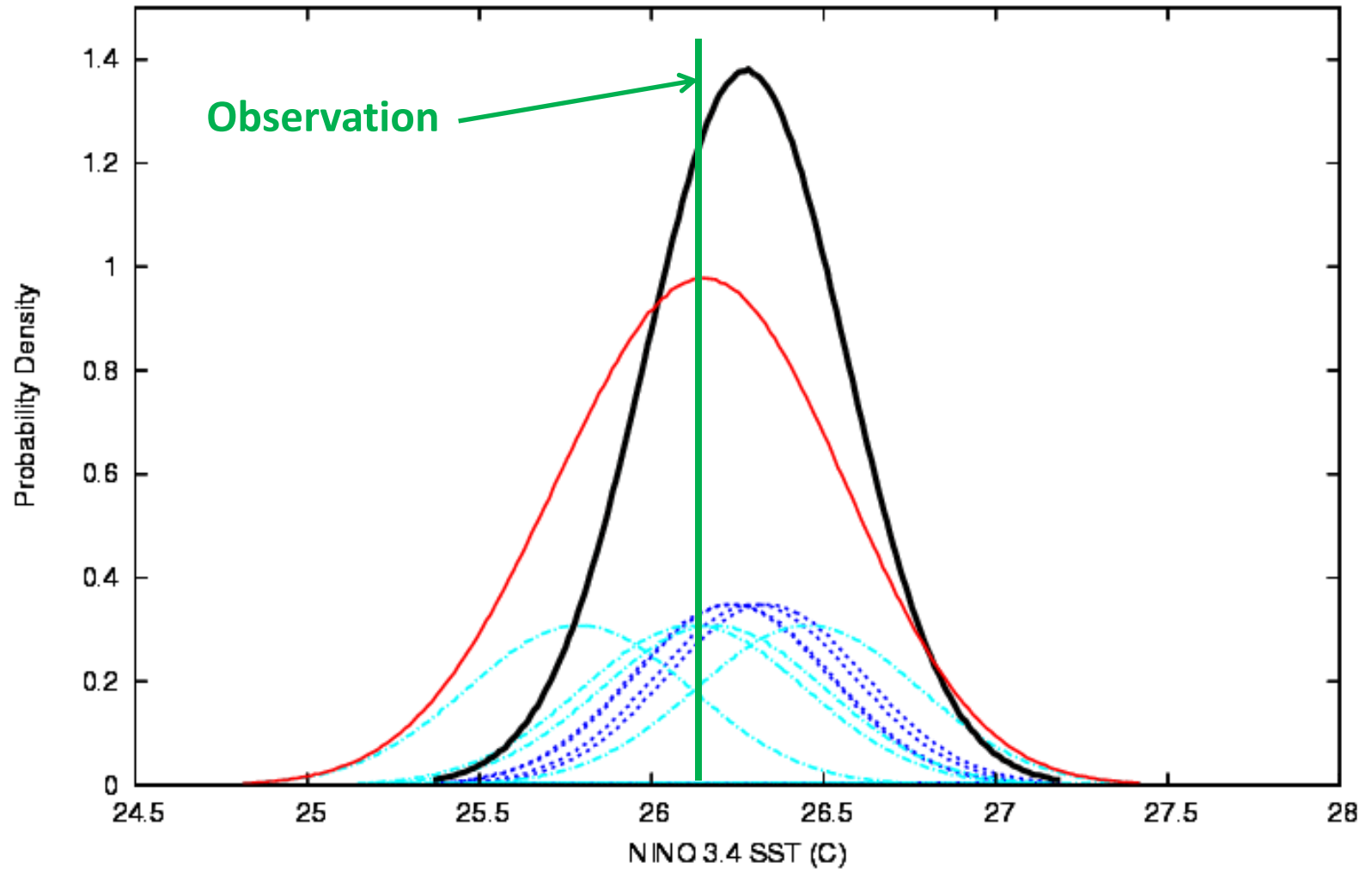
Overview



***Step 3: EVALUATE THE PDF FOR EACH MODEL
AT THE OBSERVATION***

- **This provides a relative likelihood that the observation is represented by the model.
(A bit like Bayesian analysis)**

BEST MEMBER EXAMPLE



Lag 0 Kernels

Lag 90 Kernels

Lag 0 PDF

Lag 90 PDF

Step 4: EVALUATE THE PDF STATS ON HISTORICAL DATA

- Find the model with the highest likelihood of being the “Best” for this forecast case.
(The model with the highest PDF at the observation).
- This provides the ensemble regression with the information needed to combine different models.

WEIGHTING

- Recall the regression theory requires the probability that each member will be best.

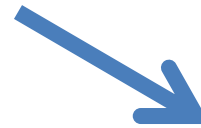
P(best) = The probability that each MODEL contributed the best member (among all models) From the historical performance on PDF's)

$$\frac{P(\text{best})}{N} = W$$

Where W is the *individual* member weighting

FINAL CONSOLIDATION

Member i W_i $i=1, (N_1+N_2+ \dots +N_m)$



**Enter Weighted
Super Ensemble in a
Second-Pass
Ensemble
Regression
(All kernel widths
the same)**

**Enter Weighted
Kernels into a
consolidated PDF
(Kernel widths
vary)**

TESTS

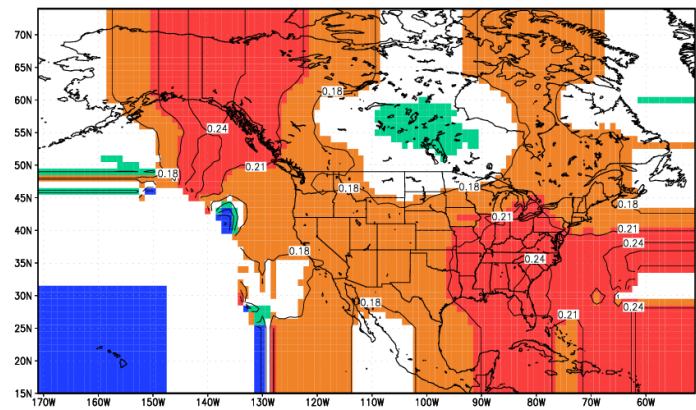
- **6 Models: CFS, ECHAMA, ECHAMF, GFDL, NASA, NCAR**
- **1982-2010 Hindcasts.**
- **October Initial Conditions**
- **DJF target period. (Lead 2)**
- **One degree Resolution – North America**
- **Observed 2-meter Temperatures from Reanalysis.**
- **Regressions initialized with a exact derivation of coefficients 1982-1994. Smoothed by a centered 11x11 degree square.**
- **Weights determined 1982-1994 statistics.**
- **Validation Statistics from 1982-2010 (1982-1994 dependent data).**

WEIGHT GRAPHS

- **Colors indicate excess or deficit relative to an equally weighted ensemble**

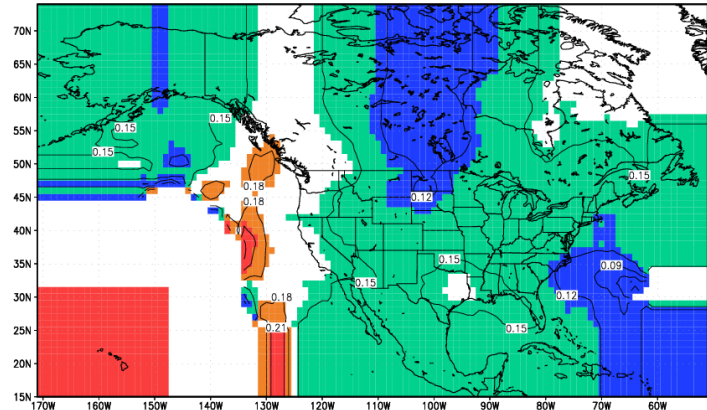
Red (ish) = Weighted more than its share

Blue or green = Weighted less than its share



CFSv2

ECHAMF

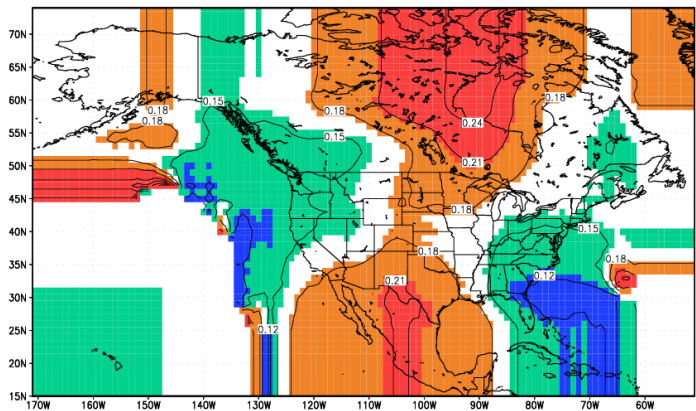


GrADS: COLA/GES

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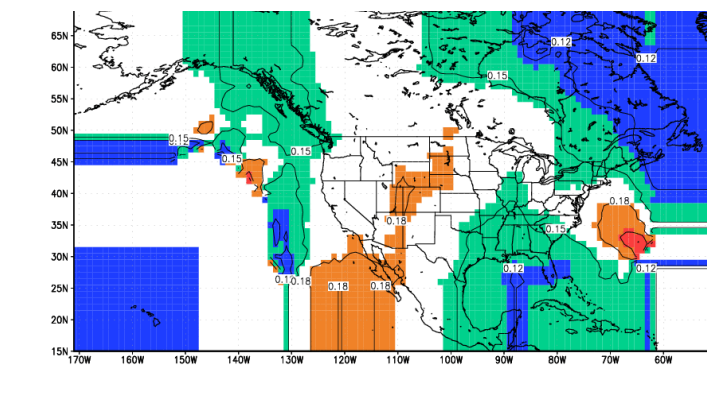
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GFDL

ECHAMA

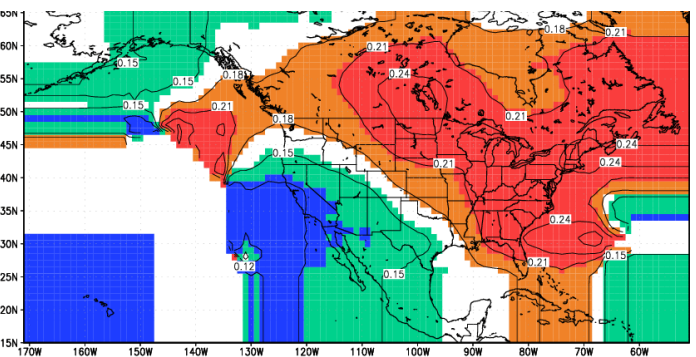


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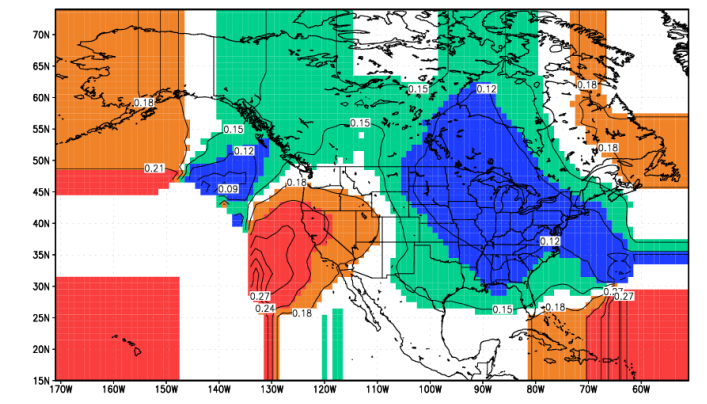
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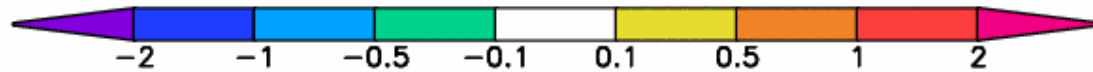
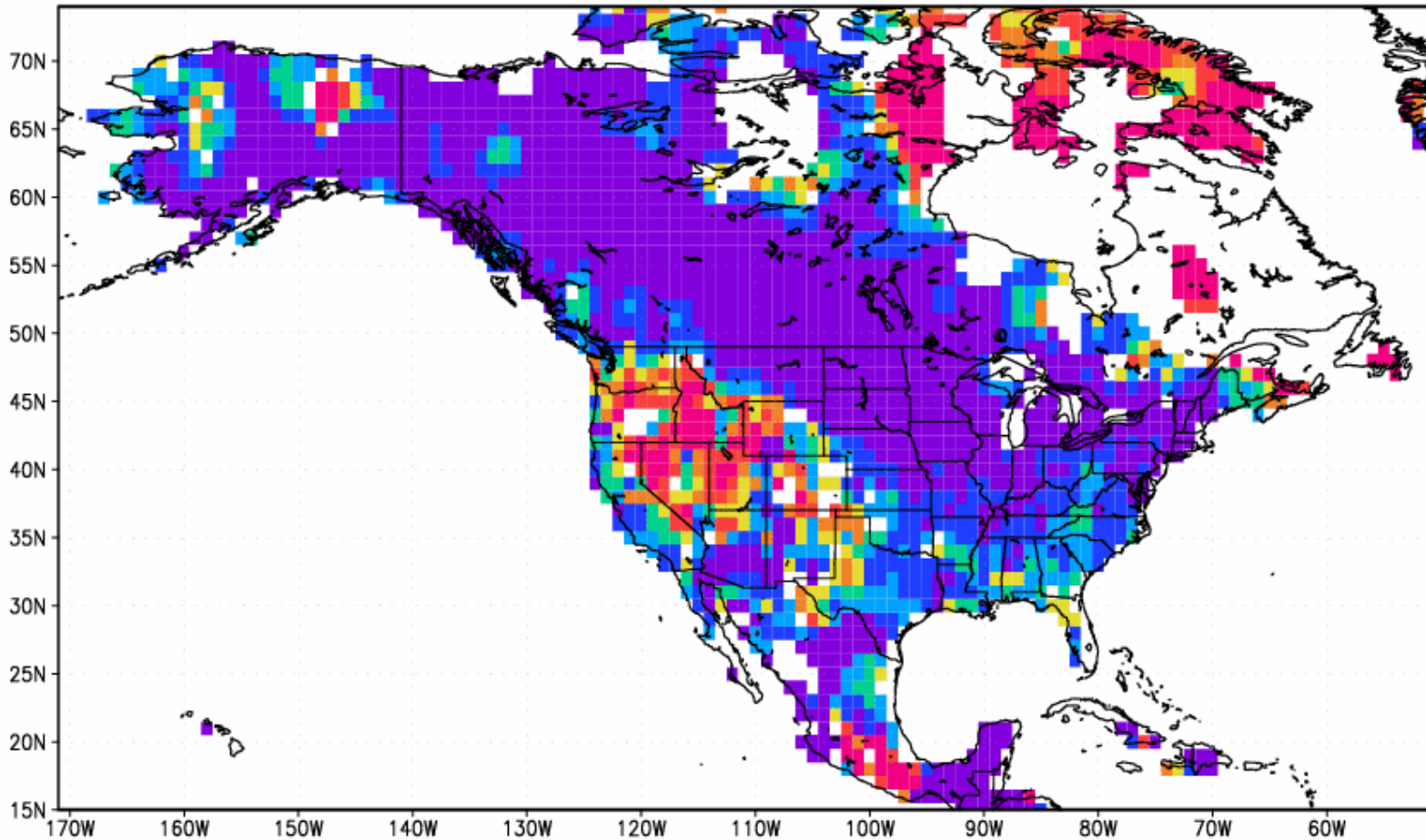
NASA

NCAR



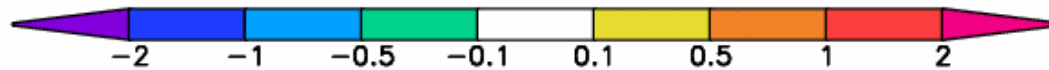
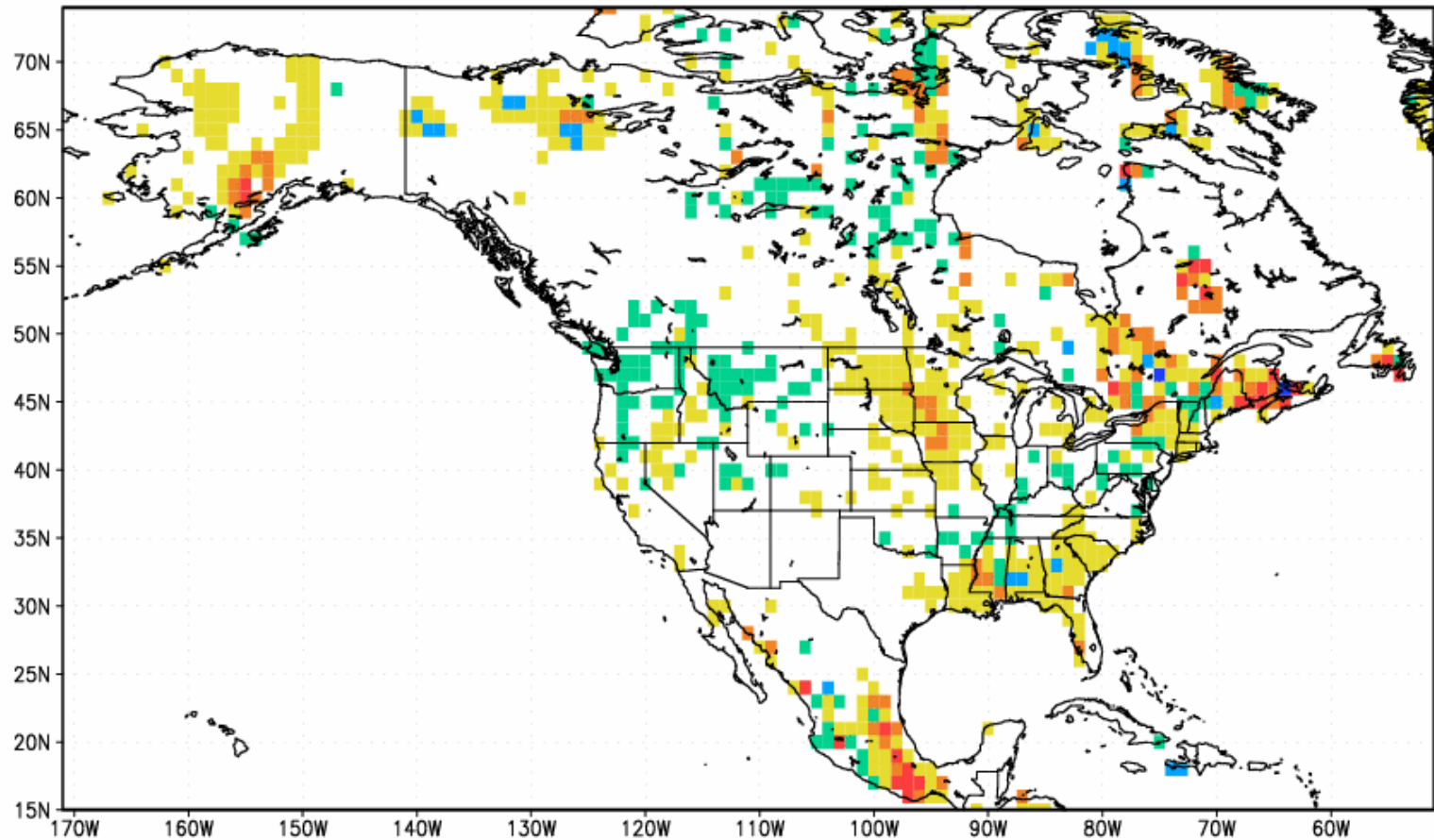
FORECAST PERFORMANCE – CRPS

Multi-model vs Climatology



FORECAST PERFORMANCE – CRPS

Kernel fit vs. Ensemble mean

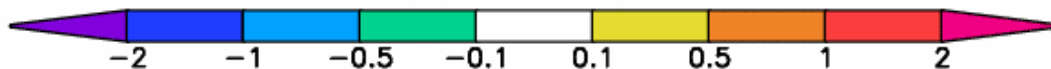
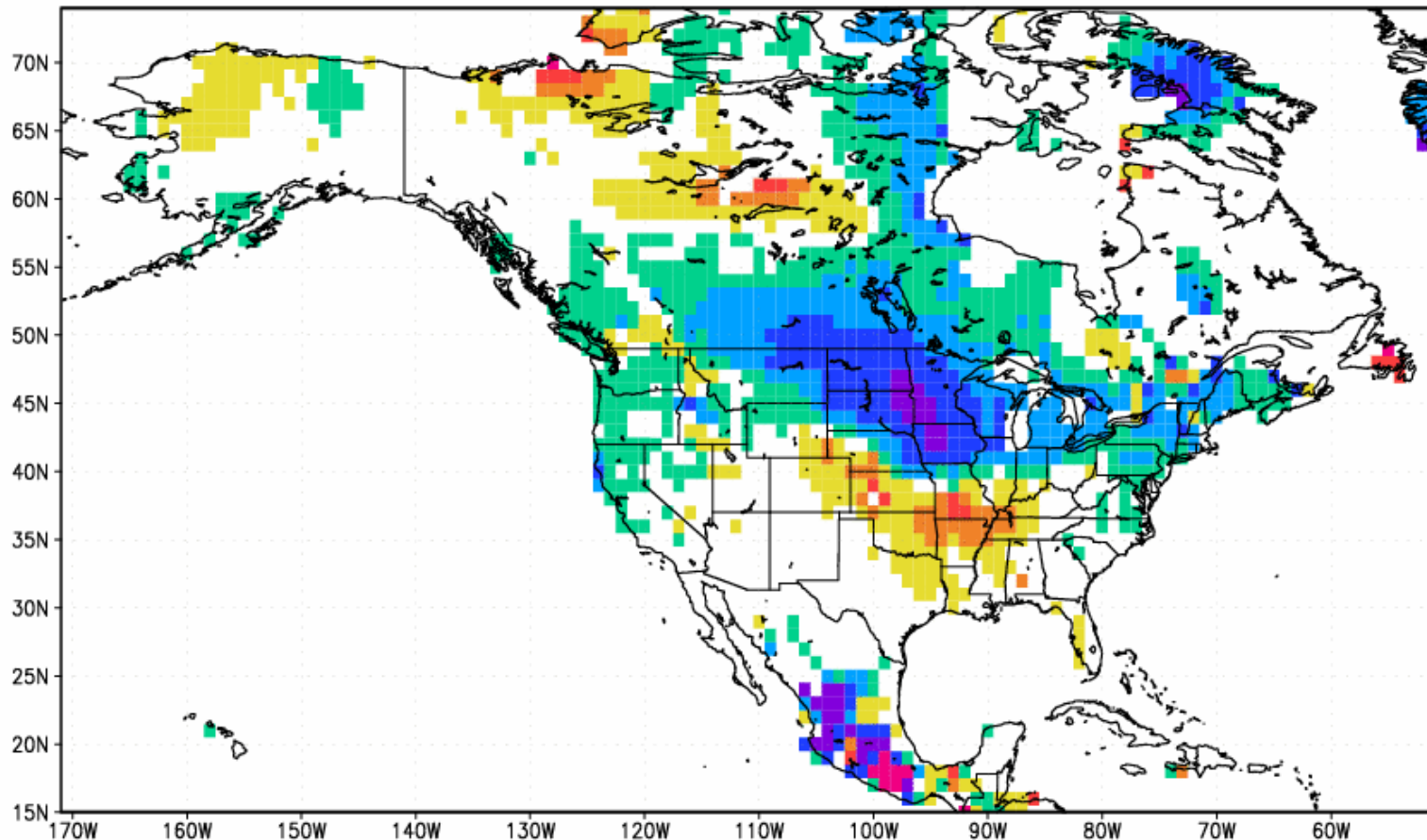


Kernels better

Ens. Mean better

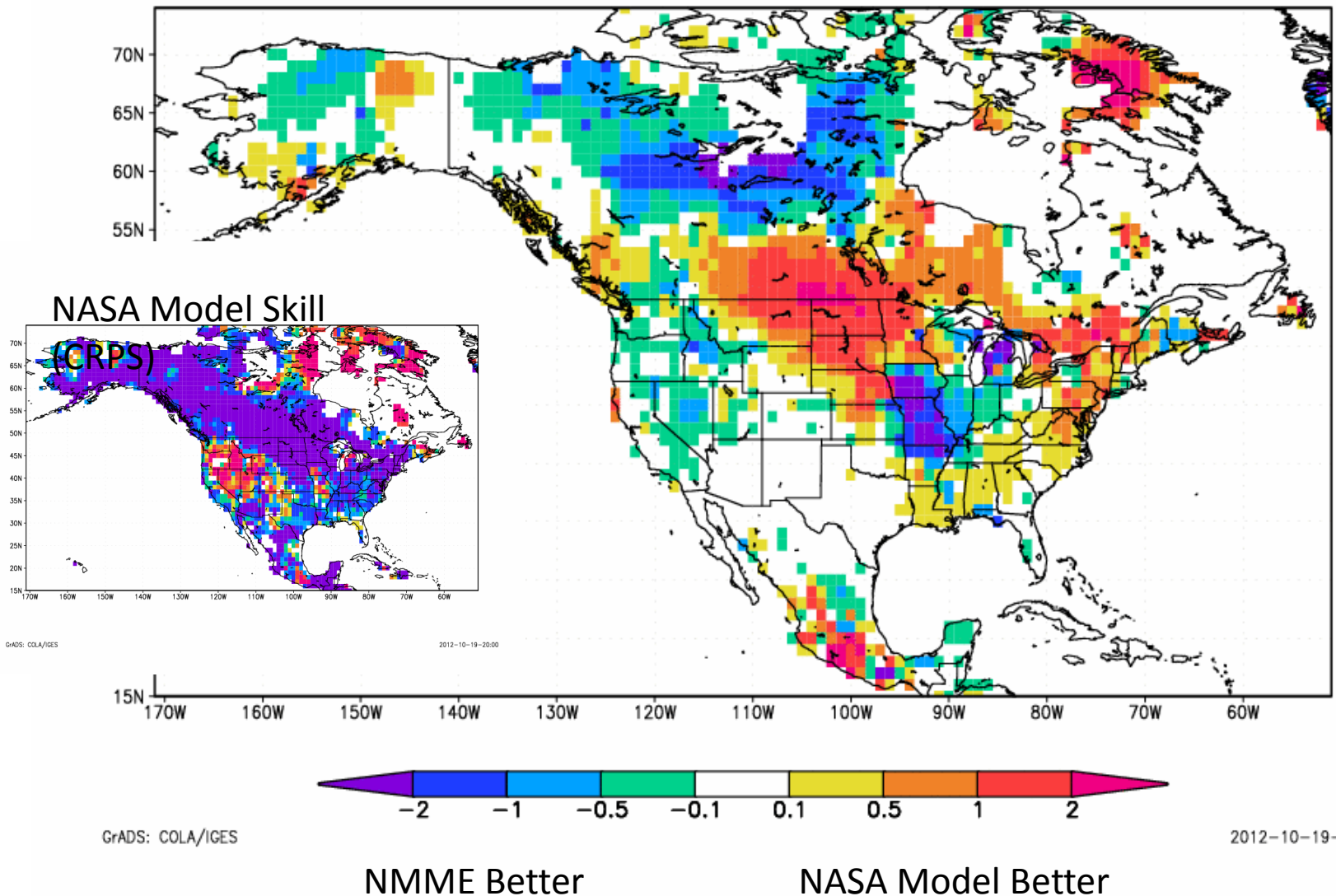
FORECAST PERFORMANCE – CRPS

Weighted vs. Equally Weights



FORECAST PERFORMANCE – CRPS

Multi-model vs. Individual Model



CONCLUSIONS

The Good

- **The methodology produces reasonable weighting (Models are not easily eliminated)**
- **Regional skill differences are accounted for.**
- **“Best PDF” based weighting accounts for model redundancy and differing ensemble size.**

The not so good

- **Difficult to eliminate really bad models**
- **Best models can occasionally better the NMME in places.**
- **Low skill models revert to climatological distributions, which is a good contender in the weighting scheme.**

FUTURE WORK

- **Fully adaptive system (Adaptive regression and weighting done together in a integrated and recursive fashion)**
- **A better model elimination procedure needs to be developed**
- **Spatial consistency may need to be addressed.**