

# Exploiting the MJO in extended range forecasts of mid-tropospheric circulation anomalies over the North American region

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## **CTB Proposal Goal:**

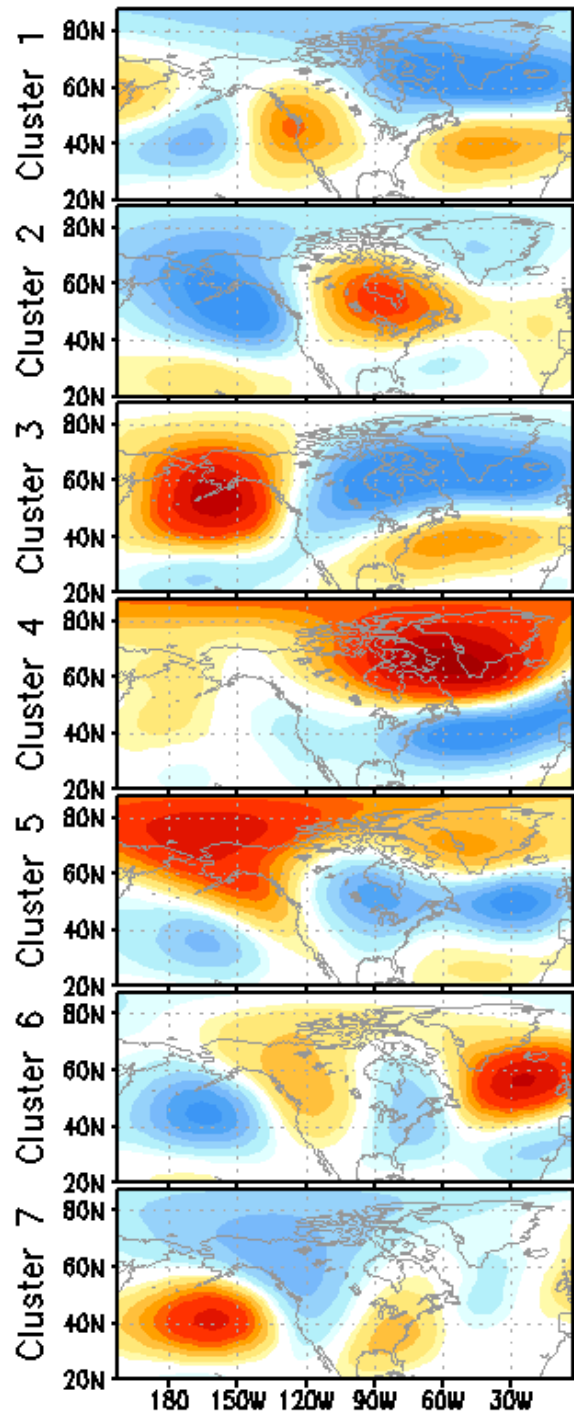
**Can the MJO be used to statistically enhance model-based extended-range forecasts over North America?**

## **This talk:**

**Examine the skill of simple statistical forecasts of circulation patterns over North America identified using a cluster analysis.**

## Overview of the Strategy:

- 1) Cluster Analysis:** Identify common intraseasonal circulation anomaly patterns over North America and the surrounding oceans (presented at last year's CDPW.)
- 2) Probabilistic Forecasts:** Create Bayesian forecasts of cluster occurrence using only the state of ENSO and the MJO.



Positive AO/NAO

## Step 1: Cluster Analysis Results

Negative AO/NAO

- 500 mb heights NCEP/NCAR reanalysis
- Winter: December – March
- Intraseasonal: 7-day running mean

Positive PNA

Negative PNA

(From Riddle et al, 2012)

## Step 2: Create probabilistic forecasts of cluster occurrence

- Forecasts **dependent only on the state of ENSO and the MJO**.
- 48 different MJO/ENSO states that we consider:
  - MJO:** Active /Inactive (WH index > 1?)
  - MJO phase:** 1-8 (WH index phase)
  - ENSO:** La Nina, El Nino, Neutral

# Compare different forecast strategies:

1) “Simple Counts” Forecasts (uniform prior)

**ENSO-only** and **ENSO/MJO**

2) Bayesian Forecasts (with prior informed by pooled data)

**ENSO-only** and **ENSO/MJO**

# “Simple Counts” Forecasts

$$P_{J,L} = \frac{(y_{J,L})(r) + 1}{(N)(r) + 7}$$

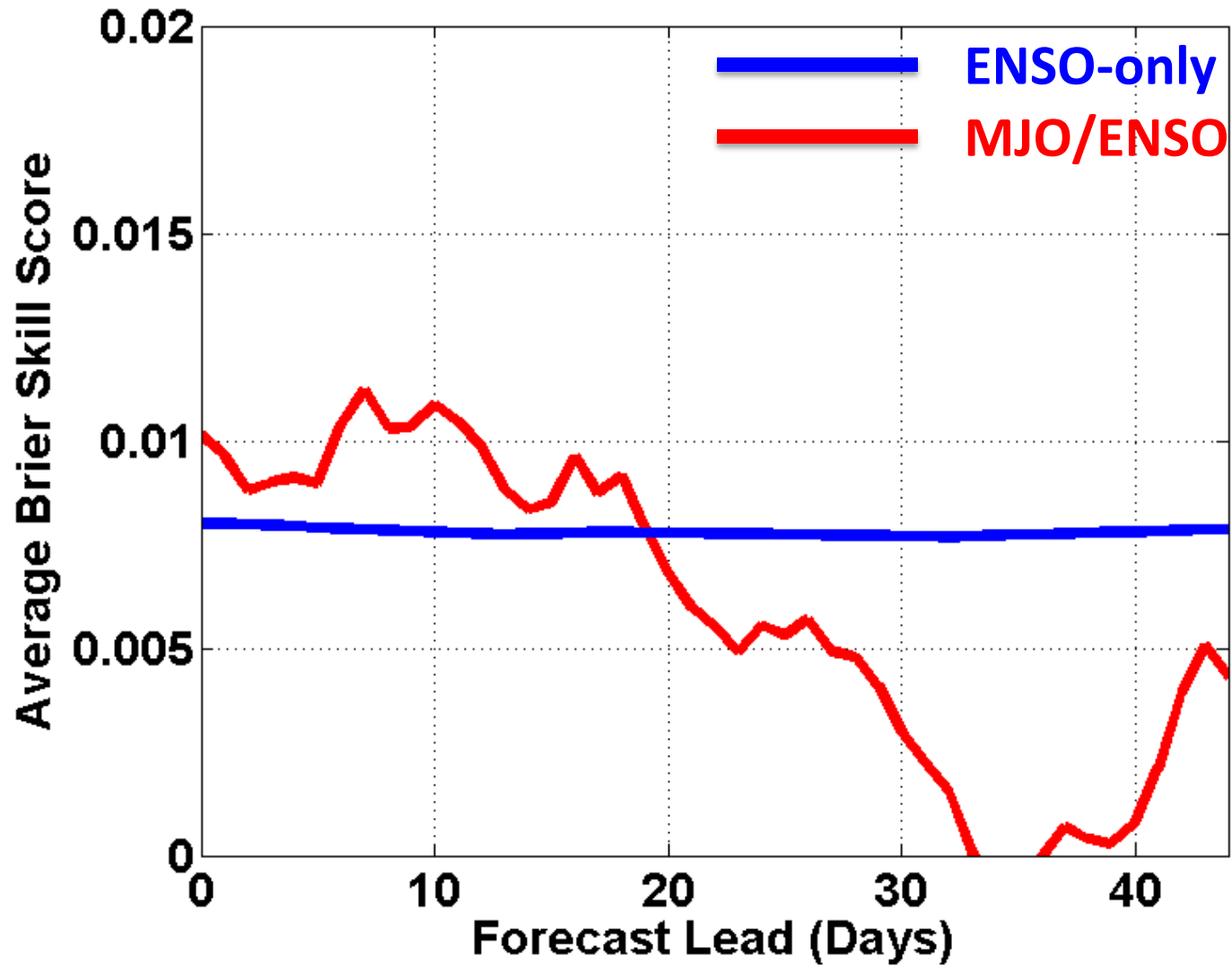
$P_{J,L}$ : L-day lead forecast for cluster J as a function of the MJO/ENSO state

$N$ : Total historical occurrences of the MJO/ENSO state

$y_{J,L}$ : Number of the N historical MJO/ENSO occurrences that were followed L days later by cluster J

$r$ : Counts reduction factor that corrects for autocorrelation in the cluster timeseries

# “Simple Counts” Forecasts





# Bayesian Forecasts

Bayes  
Theorem:

$$\text{Posterior}(\boldsymbol{\theta} | \mathbf{y}) \propto \text{Likelihood}(\mathbf{y} | \boldsymbol{\theta}) \text{Prior}(\boldsymbol{\theta})$$

- $\boldsymbol{\theta}$  Parameter vector:  
Multinomial distribution parameter indicating  
cluster probabilities
- $\mathbf{y}$  Data vector:  
Observed cluster counts  
(reduced by counts reduction factor)

Multinomial  
Distribution:

$$M(\mathbf{y}; \boldsymbol{\theta}) = A(\mathbf{y}) \left( \prod_{i=1}^{k-1} (\theta_i)^{y_i} \right) \left( 1 - \sum_{i=1}^{k-1} \theta_i \right)^{y_k}$$

Dirichlet  
Distribution:

$$D(\boldsymbol{\theta}; \boldsymbol{\alpha}) = B(\boldsymbol{\alpha}) \left( \prod_{i=1}^{k-1} (\theta_i)^{\alpha_i - 1} \right) \left( 1 - \sum_{i=1}^{k-1} \theta_i \right)^{\alpha_k - 1}$$

# Bayesian Forecasts

Uniform Prior

Dirichlet prior

Forecast Probabilities :

$$\frac{\bar{y} + 1}{n + 7}$$

$$\frac{\bar{y} + \bar{\alpha}_{prior}}{n + \alpha_{0,prior}}$$

$\bar{y}$  Cluster counts from the historical record

$n$  Sum of the components of  $\bar{y}$

$\bar{\alpha}_{prior}$  Dirichlet prior parameters

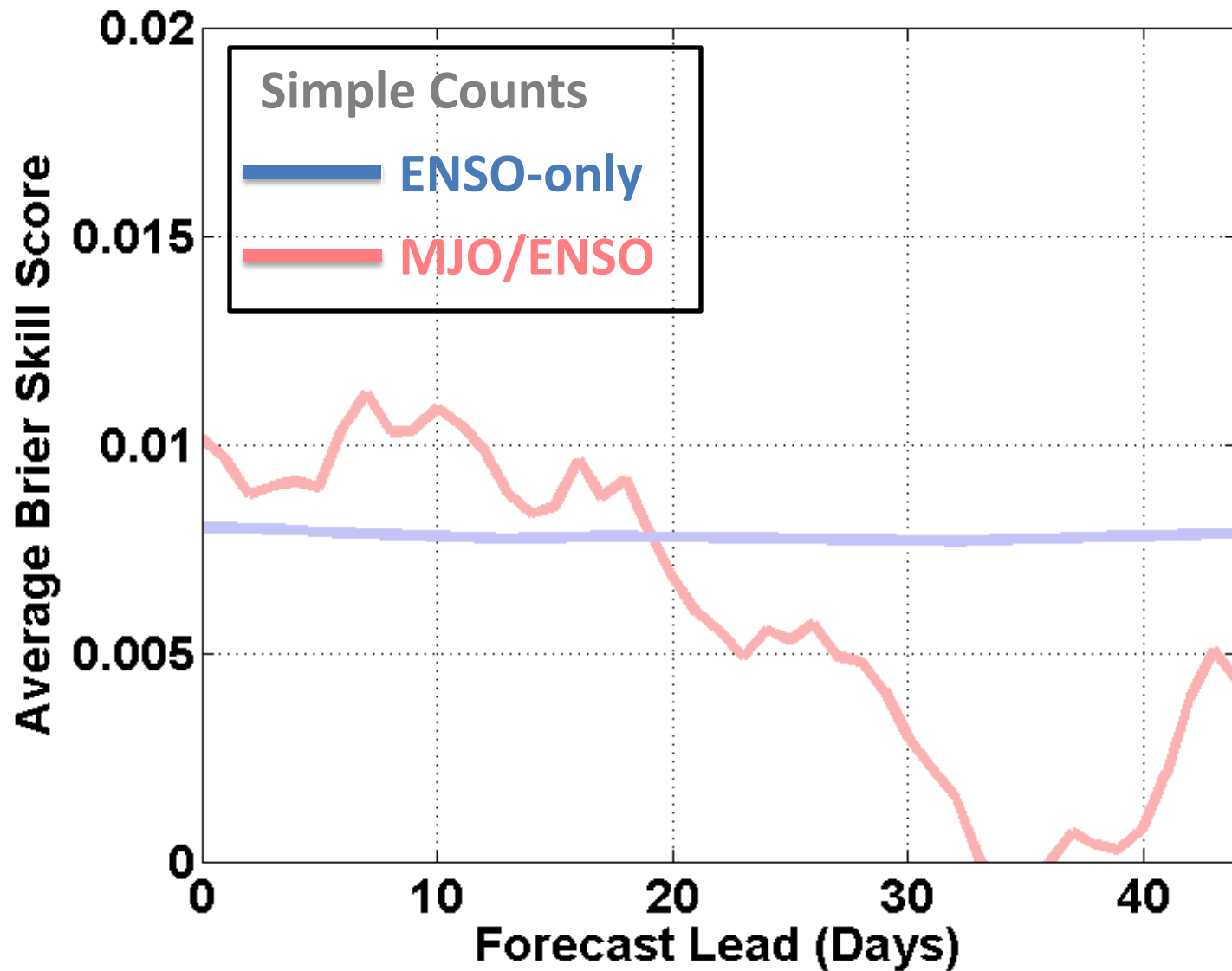
$\alpha_{0,prior}$  Sum of the components of  $\bar{\alpha}_{prior}$

# Fitting the Dirichlet prior parameters: Method of Moments

|                                                                                                | ENSO-only forecast               | ENSO/MJO forecast                                                            |
|------------------------------------------------------------------------------------------------|----------------------------------|------------------------------------------------------------------------------|
| Prior is determined:                                                                           | Before knowing the state of ENSO | Assuming the state of ENSO is known, but before knowing the state of the MJO |
| The <b>mean vector</b> of Dirichlet prior is fit to equal the relative cluster frequencies in: | The full climatological dataset  | The ENSO-only forecast                                                       |
| The <b>variance</b> of the Dirichlet prior depends on the variance in cluster frequencies:     | Between different phases of ENSO | Between different phases of the MJO                                          |

**BIG PICTURE:** The prior is based on pooled data with larger sample sizes and better statistics than the sub-divided data.

# Bayesian Forecasts

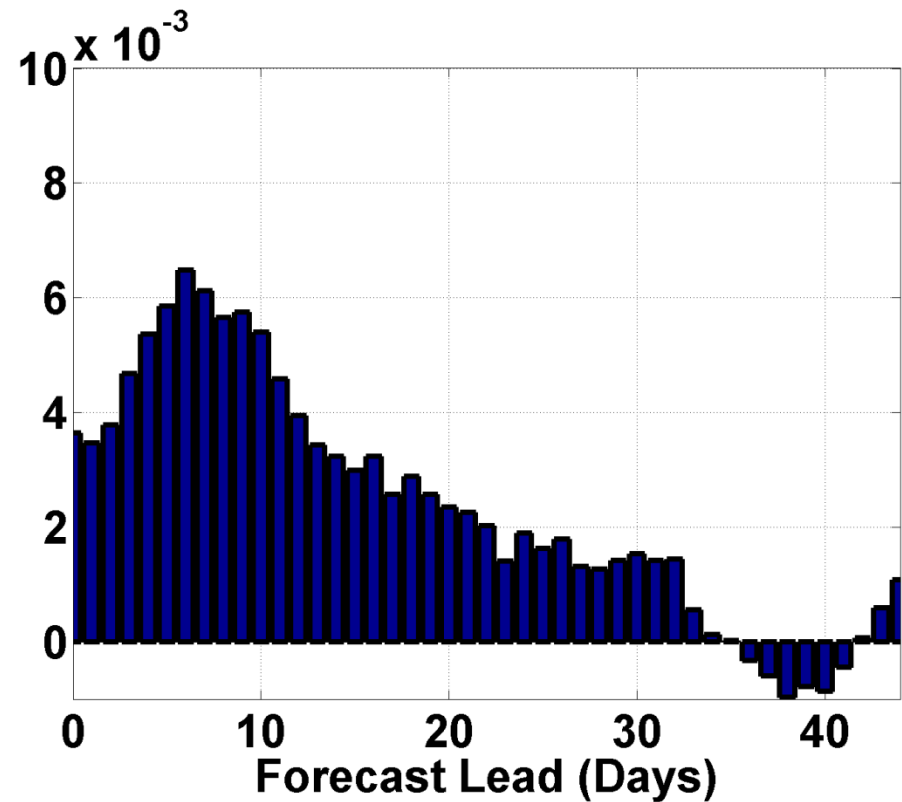
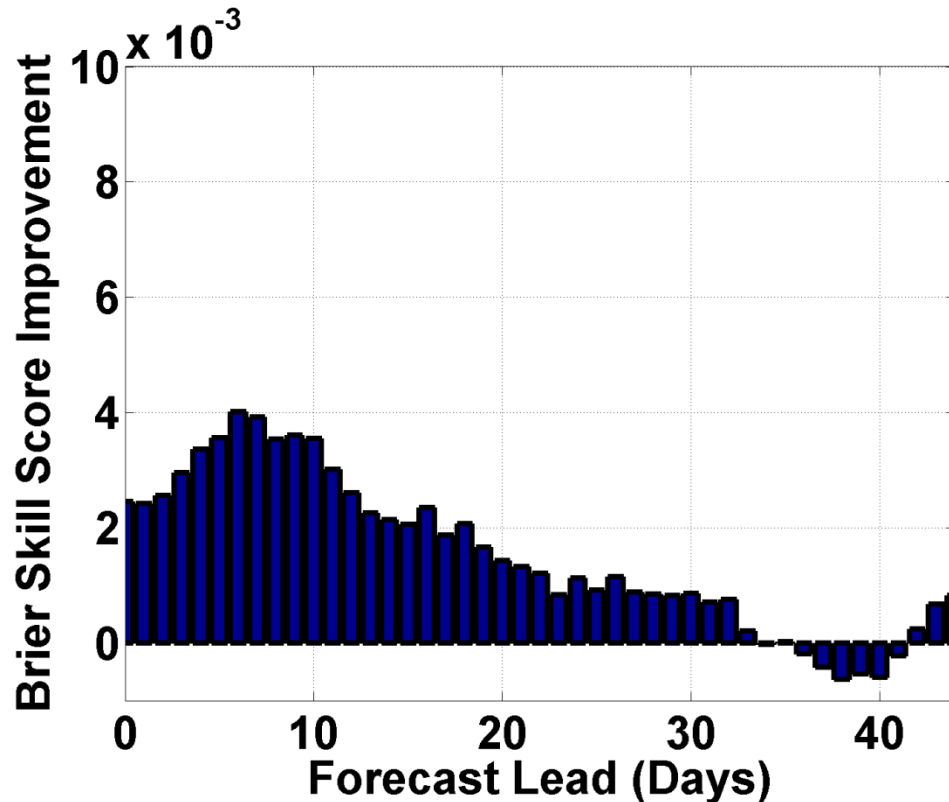


# Increase in skill associated with the MJO

**Bayesian MJO/ENSO forecast  
minus  
Bayesian ENSO-only forecast**

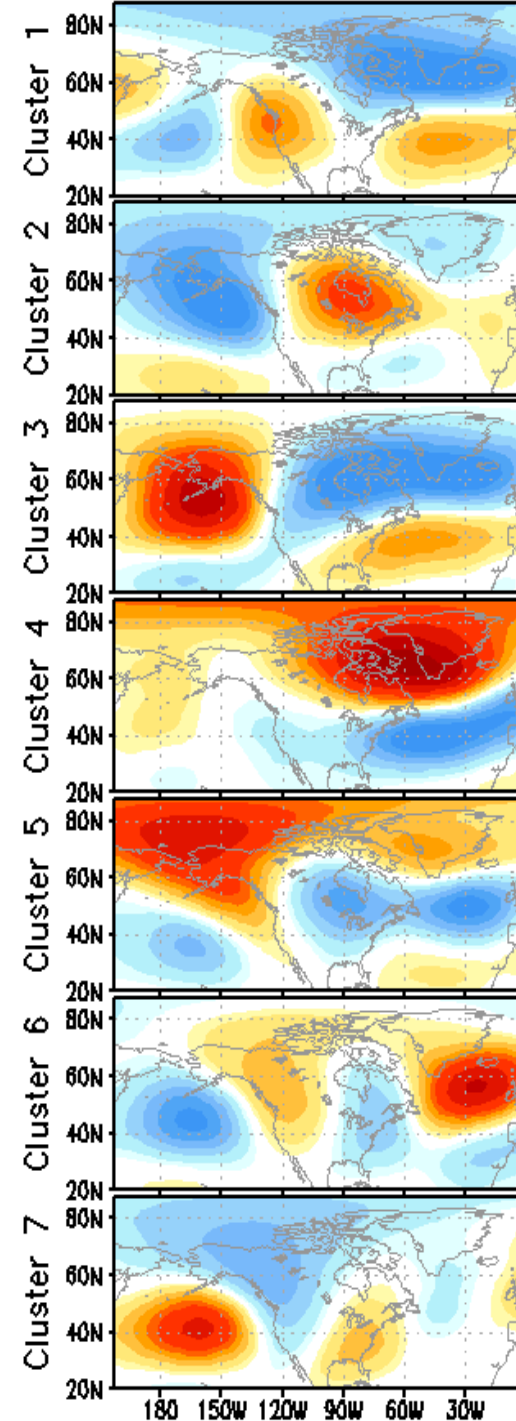
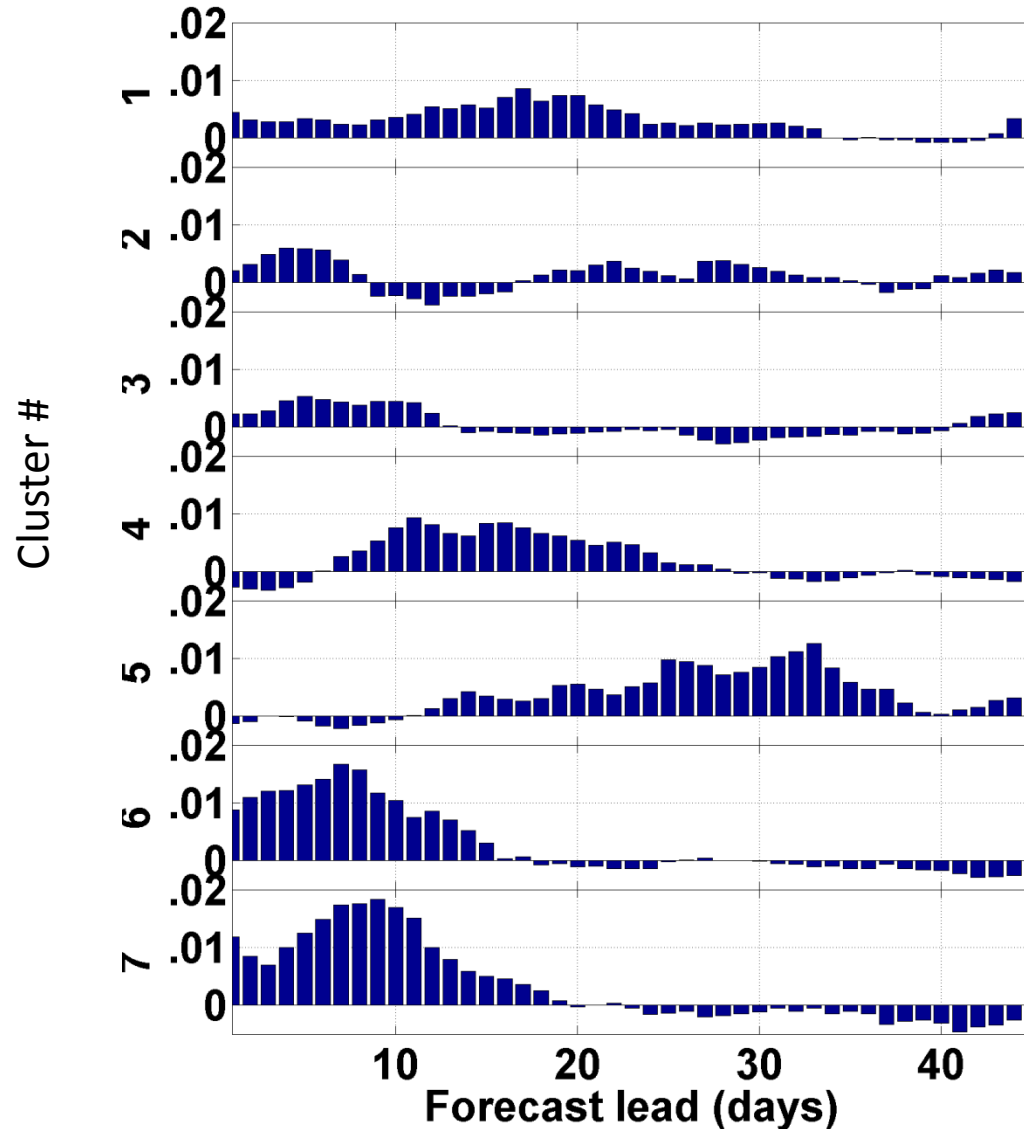
## All Forecasts

## Only Forecasts when the MJO is active



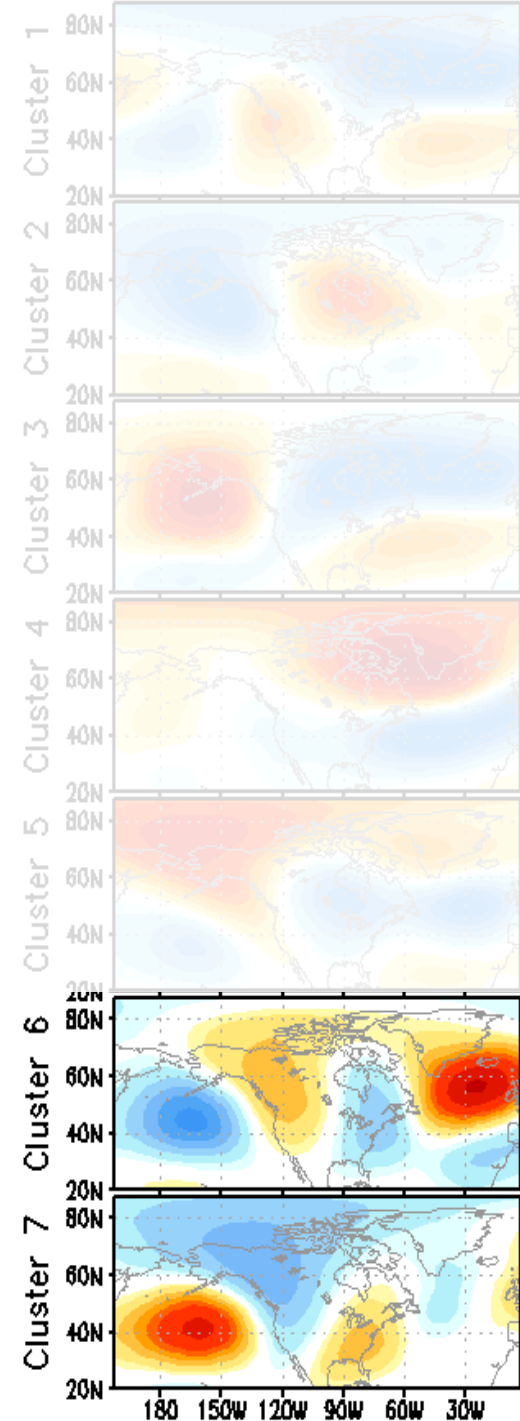
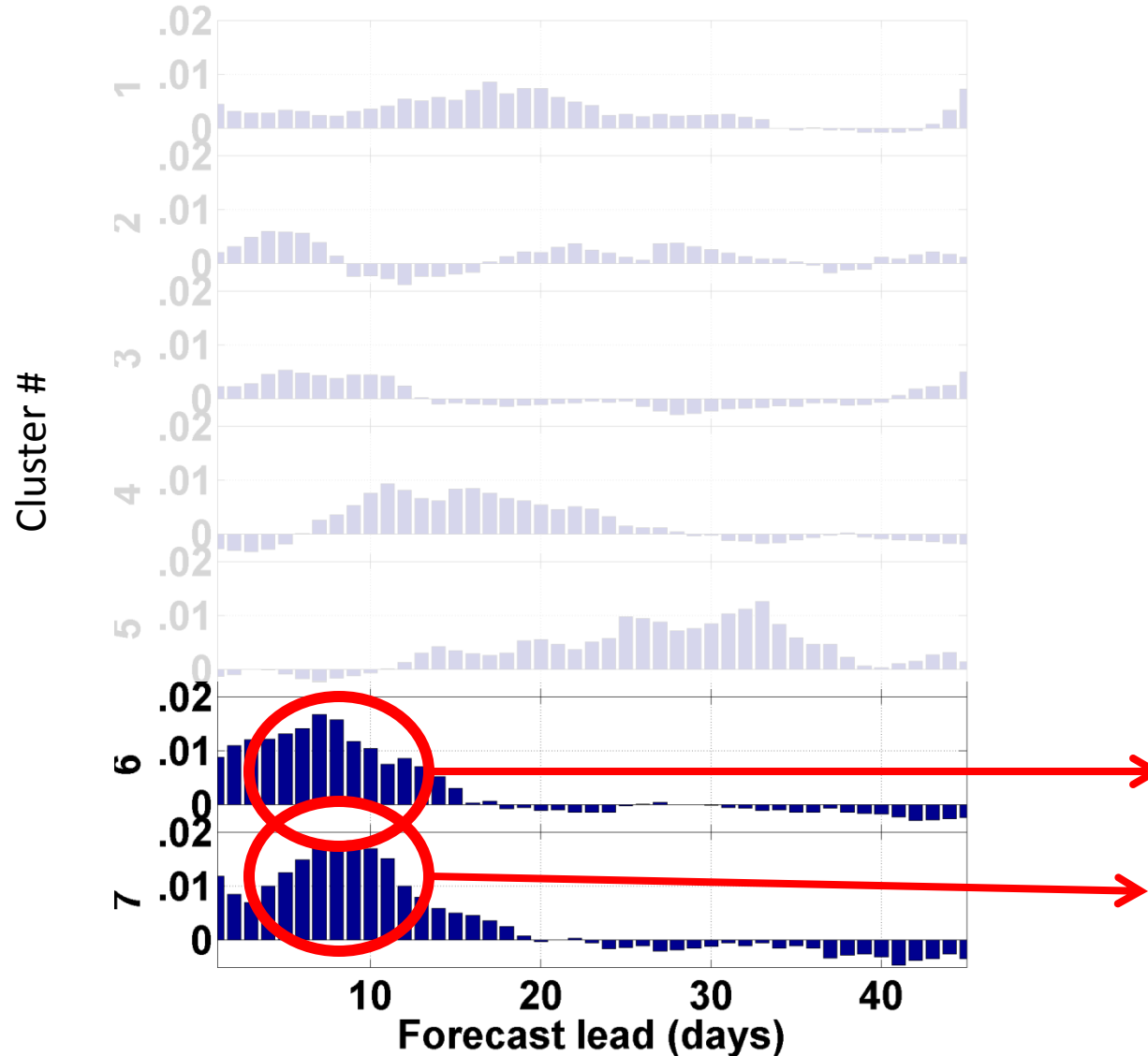
# Increase in skill associated with the MJO

## Cluster-by-cluster skill for forecasts when the MJO is active



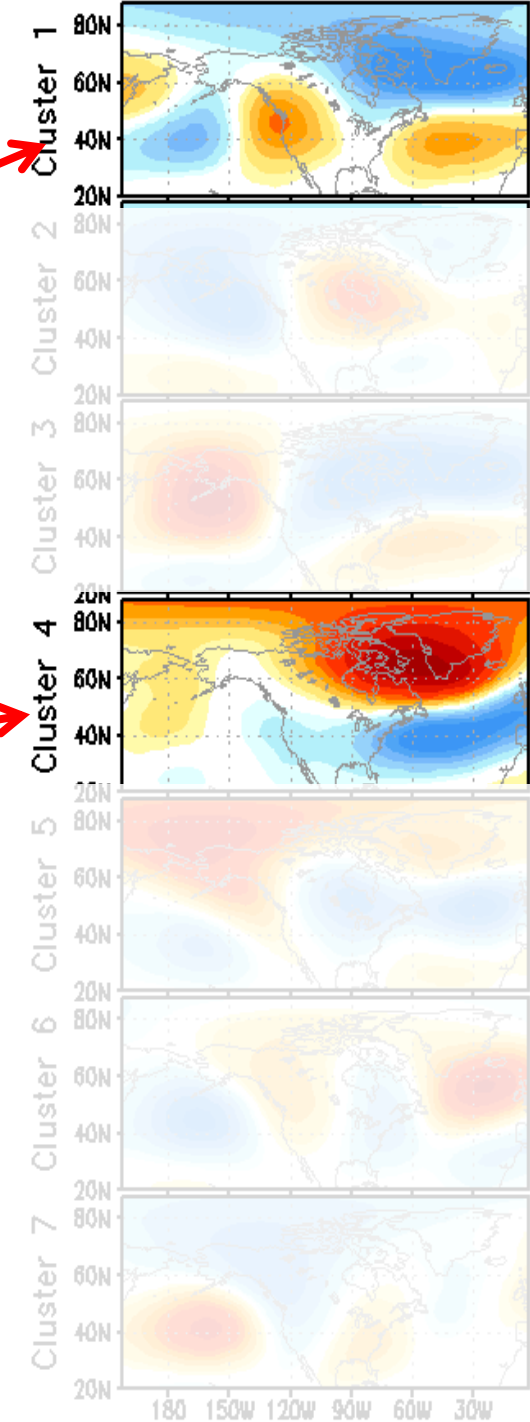
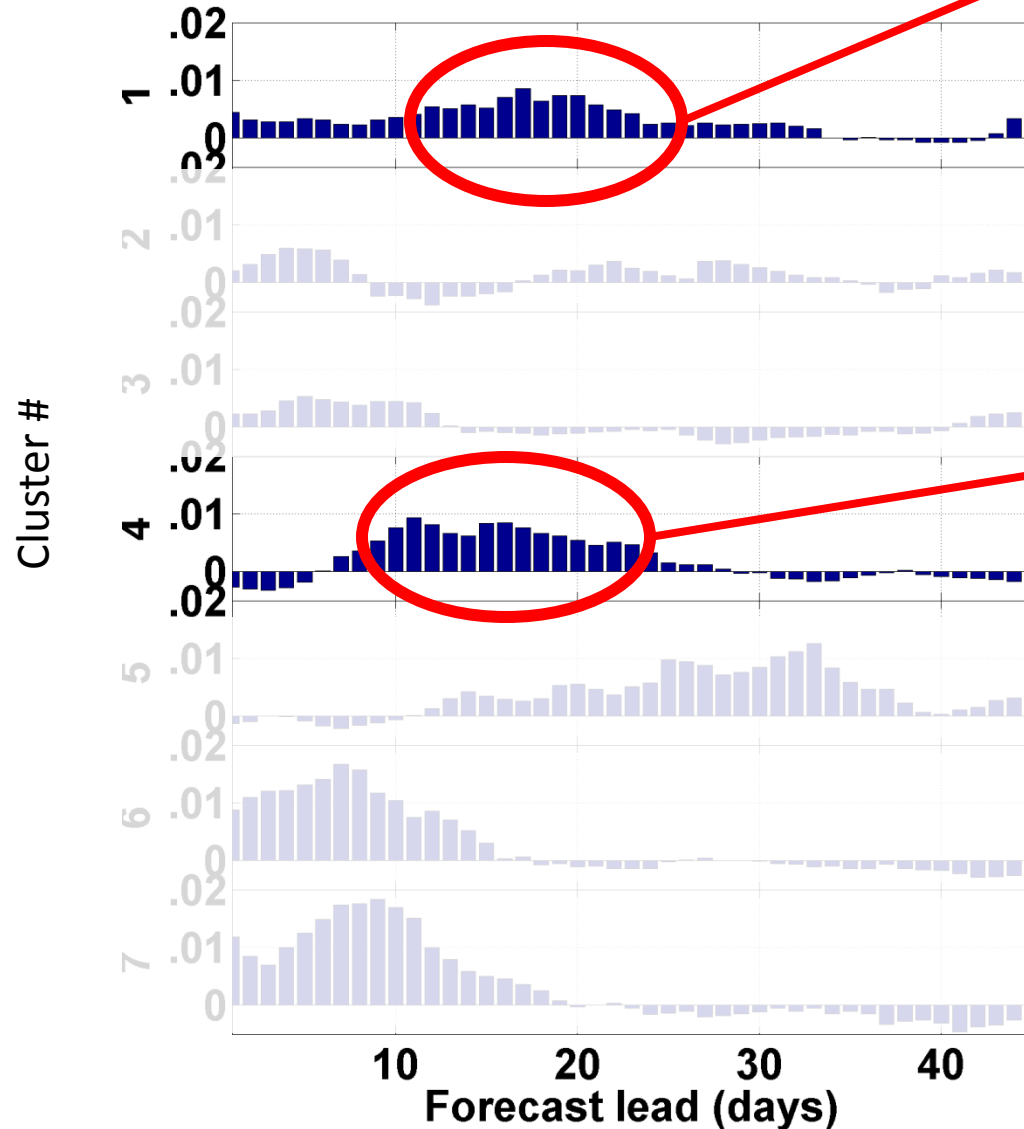
# Increase in skill associated with the MJO

## Cluster-by-cluster skill for forecasts when the MJO is active



# Increase in skill associated with the MJO

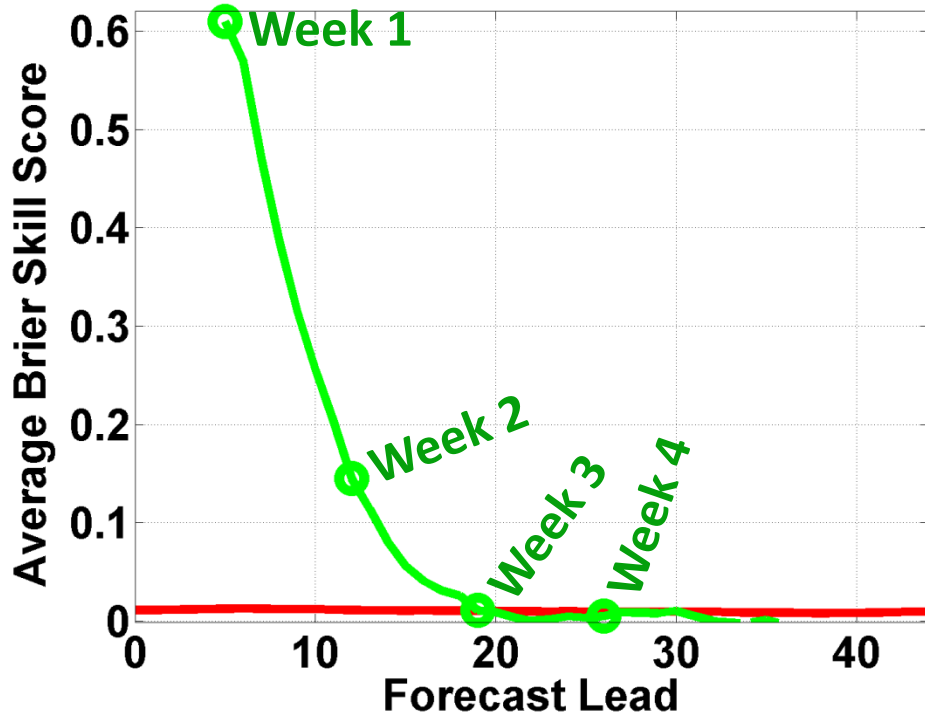
Cluster-by-cluster skill for forecasts  
when the MJO is active



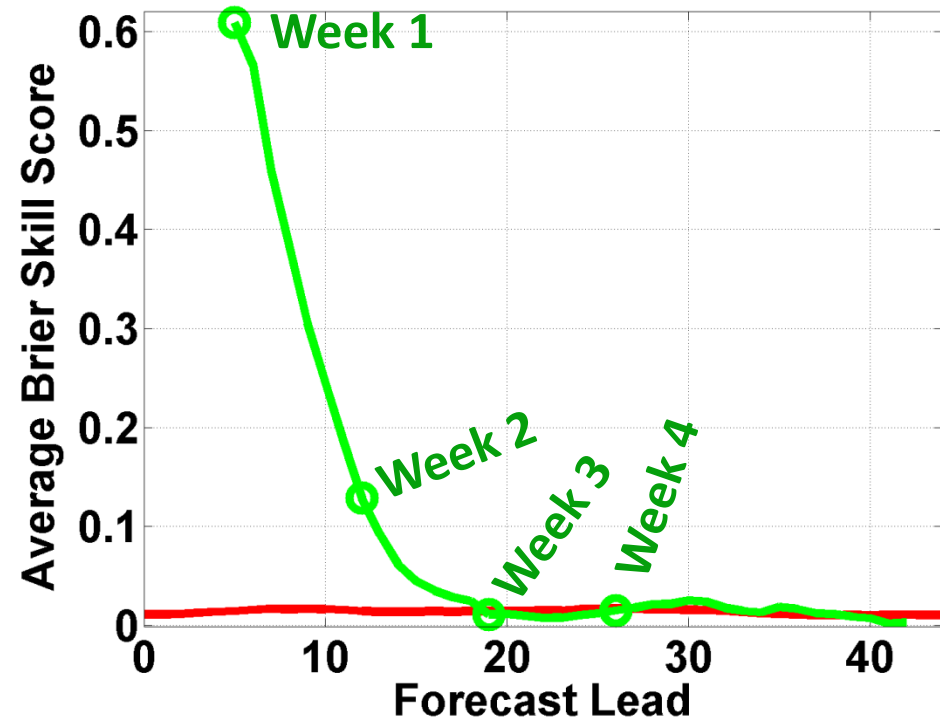


# Comparison with CFSv2 forecasts

## All Forecasts



## Only Forecasts when the MJO is active



**Bayesian MJO/ENSO**

**CFSv2**

# Conclusions

- 1) Bayesian forecasts offer an improvement over the “simple counts” methodology. As desired, the Bayesian MJO/ENSO forecasts converge to the ENSO-only forecasts at long leads.
- 2) Skill improvements associated with the MJO are greatest at leads of approximately 1 week when the MJO is active, and are greatest for clusters that resemble opposing phases of the Pacific North America pattern. These characteristics are consistent with our physical understanding of the MJO’s influence on the extratropics.
- 3) Despite the advantages of the Bayesian methodology, the overall skill associated with ENSO and the MJO in this study is very modest and not likely to significantly enhance CFSv2 forecasts.
- 4) Future steps: Combine statistical and dynamical model output, More complete hierarchical Bayesian treatment? Fewer subdivisions of MJO/ENSO phases? Logistic regression? Test other MJO indices? Identify cases (e.g., particular phases of the MJO) when greater skill might exist.